More Sets Sunday, November 19, 2023 6:10 PM |.| AUB= {1,2,3,4,6,83 $A \cap B = \{2, 43\}$ $A \setminus B = \{1, 3\}$ $B \setminus A = \{6, 8\}$ 1,2 $\left|\frac{100}{7}\right| = 14$ 1.3 (a) AUBUC = {1, 2, 3, 4, 5, 6, 7,8, 9} [AUBUC] = 9 (b) $|A \cap B| = |\{3, 4, 5, 6\}| = 4$ $|BAC| = |\{3, 5, 7\}| = 3$ $|A \cap C| = |\{1, 3, 5\}| = 3$ $|A \cap B \cap C| = |\{3, 53\}| = 2$ (C)(d) | AUBUC | = 9 [A] + [B] + [C] - [AAB] - [AAC] - [BAC] + [AABAC] = 6 + 6 + 5 - 4 - 3 - 3 + 2 1.4 $Q \setminus Z = \left\{ \frac{a}{b} : a \in \mathbb{Z}, b \in \mathcal{N} \setminus \{0, 1\}, gcd(a-b) = 1 \right\}$ 1.5 faEZ: a is even } or Empty set or {3 2.1. Yes since they are subsets of A. 2.2 {\phi, \{13, \{23, \{33\}, \{1, 23\}, \{2, 33\}, \{1, 33\}\} 2.3 { \$ \$ 3 Warning: Ø is incorrect. 2.4 $\binom{n}{0} + \binom{n}{1} + \binom{n}{2} + \cdots + \binom{n}{n} = 2^n$ P(A) = {\$\phi\$, \forall 203, \forall 13} $P(P(A)) = (\emptyset, \{\emptyset\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{\{0\}\}\}, \{$ $\{\phi, \{03, \{0,133\}, \{\phi, \{i3, \{0,i3\}\}\}\}$ 3.1 $A \times B = \{(1,a), (1,b), (2,a), (2,b), (3,a), (2,b), (3,a), (2,b), (3,a), (2,b), (3,a), (3,a)$ (3, b) } 3.3. $A \times B = \{(a,b): a \in A, b \in B\}$ For each (a, b), there are |A| choices for a, IBI choices for b, so |A|x|B| choices for (a, b) in total 3.4. ZXQ is the set of pairs (a, b) where a is an integer, and b is a rational number. 3.5 & 3.6 $\begin{bmatrix} -5, -2 \end{bmatrix}$ 3.7 3.8 (5,30)3.10 & 3.11 [2,4] $\times [3,5]$ 4 3 2 [3,4.5] ×[1,4] $[0,1] \times [0,1]$ $[2,4] \times [3,5] \wedge [3,4.5] \times [1,4]$ $T \left[3,4\right] \times \left[3,4\right]$ 3 dimensional space 3.12 Unit cube 3,13 Unit disk 3.14 Cylinder with radius 1, height 1 3.15 Doughnut / Solid torus

3.16