

Kangourou Sans Frontières

Mathematics Promotion Society

Math Kangaroo in USA

Math Kangaroo 2013 in USA

International Competition in Mathematics Thursday, March 21, 2013

Levels 5 and 6

This test consists of 30 questions on 4 pages.

You have 75 minutes to complete it.

Calculators are not allowed!

Please enter your answers on the answer form provided.

Please put your name and ID number on the line below.

Problems 3 points each

1. We put 2, 0, 1, 3 into an adding machine, as shown. What is the result in the box with the question mark?

 $(\mathbf{A}) 2$

 (\mathbf{A}) 5

(B) 3

 (\mathbf{B}) 6

- (C) 4
- (\mathbf{D}) 5
- (E) 6

 $(\mathbf{E}) 9$

2. Nathalie wanted to build the same cube as Diana had (Figure 1). However, Nathalie ran out of small cubes and built only a part of the cube, as you can see in Figure 2. How many small cubes must be added to Figure 2 to form Figure 1?

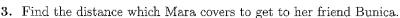




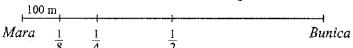


Figure 1

Figure 2



 (\mathbf{C}) 7



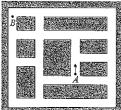
- (A) 300 m
- (**B**) 400 m
- (C) 800 m

 (\mathbf{D}) 8

(D) 1 km

(E) 700 m

- 4. Nick is learning to drive. He knows how to turn right but cannot turn left. What is the smallest number of turns he must make in order to get from A to B, starting in the direction of the arrow?
 - (\mathbf{A}) 3
- (B) 4
- (\mathbf{C}) 6
- (\mathbf{D}) 8
- (E) 10



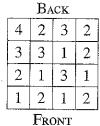
- 5. The sum of the ages of Ann, Bob and Chris is 31 years. What will the sum of their ages be in three years?
 - (A) 32
- (B) 34
- (C) 35
- (**D**) 37
- (E) 40
- **6.** What digit must be placed in all three boxes of $\Box\Box\times\Box=176$ in order to make the multiplication work?
 - (A) 6
- (B) 4
- (C) 7
- $(\mathbf{D}) 9$
- (\mathbf{E}) 8

•	÷						
7. Michael has t fourth pill?	to take a pill ev	ery 15 min	ites. He took	the first pill at 1	1:05. What ti	ne did he t	ake the
(A) 11:40	(B) 11:5	0	(C) 11:55	(D) 12:0	0 (E	3) 12:05	
8. By drawing to gions (see picture squares?			-				
(A) 3	(B) 5	(C) 6	(D) 8	(E) 9			
9. The number divisible by 6. T this property?	_			-	-		
(\mathbf{A}) 2	(B) 3		(C) 4	(D) 5	· (E	6) 6	
10. Ann has a l to put as many a overlap each othe rectangle?	as possible in t	he 4 by 5 re	ectangle, also	shown. The pie	es may not		School State Control
(A) 2	(B) 3	(C) 4	(D)	\mathbf{E}	ò		
Problems 4 poin							
11. Which of th	e following pie. Q Q	ces covers t	ne largest nur Q 🔑	nber of dots in t	he table?	6	0
(A)		(C)	O(D)	(E)		0	8
12. Mary shades				per, as shown.	aper itself?	•	
(\mathbf{A}) 2	(B) 3		(C) 4	(\mathbf{D}) 5	(F	2) 6	
13. Ann rides h					peed. She sees	her watch	at the
777.1	1 (3	·.·		1 1 A C	1	£ 41 1 . 9	
Which picture	e snows the po	sition of the	e minute nano	l when Ann finis	nes one third o	of the ride?	
(A)	(B))	(\mathbf{C})	(D) (

14. Matthew is catching fish. If he had caught three times as many fish as he actually did, he would have 12 more fish than he does. How many fish did he catch?

- (A) 7
- (\mathbf{B}) 6
- (C) 5
- (D) 4
- (E) 3

15. John made a building out of cubes. In the picture you see this building from above. In each cell you see the number of cubes in that particular tower. When you look from the front, what do you see?













16. In an election each of the five candidates got a different number of votes. The candidates received 36 votes in total. The winner got 12 votes. The candidate in last place got 4 votes. How many votes did the candidate in second place get?

- (A).8
- (B) 8 or 9
- (C) 9
- (**D**) 9 or 10
- (E) 10

17. From a wooden cube with a side of 3 cm we cut out at the corner a little cube with a side of 1 cm (see picture). What is the number of faces of the solid after cutting out such a small cube at *each* corner of the big cube?



- (A) 16
- **(B)** 20
- (C) 24
- (**D**) 30
- (E) 36

18. Find the number of pairs of two-digit natural numbers whose difference is equal to 50.

- (A) 40
- (B) 30
- (C) 50
- (**D**) 60
- (E) 10

19. The final of the local hockey championship was a match full of goals. There were 6 goals in the first half and the guest team was leading after the first half. After the home team scored 3 goals in the second half, the home team won the game. How many goals did the home team score altogether?

- (A) 3
- (B) 4
- (C) 5
- (\mathbf{D}) 6
- E) 7

20. In the squares of the 4×4 board numbers are written such that the numbers in adjacent squares differ by 1. Numbers 3 and 9 appear in the table. Number 3 is in the top left corner as shown. How many different numbers appear in the table?

- (A) 4
- **(B)** 5
- (C) 6
- $(\mathbf{D}) 7$
- (TE) 8



Problems 5 points each

21. Aron, Bern and Carl always lie. Each of them owns one stone, either a red stone or a green stone. Aron says: "My stone is the same color as Bern's stone." Bern says: "My stone is the same color as Carl's stone." Carl says: "Exactly two of us own red stones." Which of the following statements is true?

- (A) Aron's stone is green.
- (B) Bern's stone is green
- (C) Carl's stone is red.
- (D) Aron's stone and Carl's stone have different colors.
- (E) None of the above is true.

22. 66 cats signed up for the contest MISS CAT 2013. After the first round 21 were eliminated because they failed to catch mice. 27 cats out of those that remained in the contest had stripes and 32 of them had one black ear. All the striped cats with one black ear got to the final. What is the minimum number of finalists?

- (\mathbf{A}) 5
- (\mathbf{B}) 7
- (C) 13
- (**D**) 14
- (\mathbf{E}) 27

 $(\mathbf{A}) 2$

(A) 18

(A) 16

 (\mathbf{A}) 6

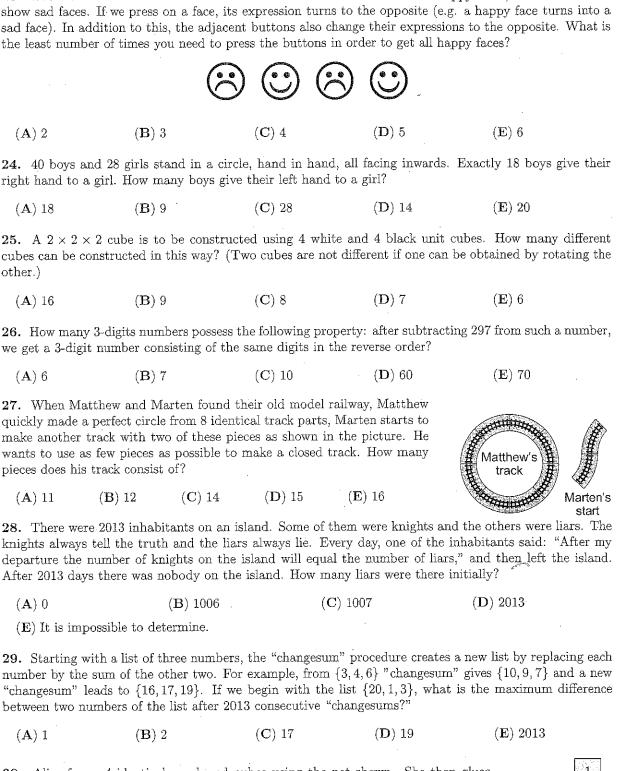
(A) 11

 $(\mathbf{A}) 0$

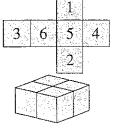
 $(\mathbf{A}) 1$

other.)

23. There are four buttons in a row as shown below. Two of them show happy faces, and two of them show sad faces. If we press on a face, its expression turns to the opposite (e.g. a happy face turns into a sad face). In addition to this, the adjacent buttons also change their expressions to the opposite. What is the least number of times you need to press the buttons in order to get all happy faces?



30. Alice forms 4 identical numbered cubes using the net shown. She then glues them together to form a $2 \times 2 \times 1$ block, as shown. Only faces with identical numbers are glued together. Alice then finds the total of all the numbers on the outside surface of the block. What is the largest total that Alice can get?



(A) 66

(**B**) 68

(C) 72

(**D**) 74

(E) 76