

1.
 - a)
 - i.) 50
 - ii.) Yes
 - iii.) No
 - iv.) Yes
 - b.) 500
 - c.) $1/2$ the numbers of flips
 - d.)
 - i.) The number of ways to get heads
 - ii.) The total number of outcomes on a coin
 - iii.) $1/2$
- 2.)
 - a.) HH TH HT TT
 - b.) $1/4$
 - c.) 100
 - d.) $1/4$ of 400
- 3.)
 - a.) HHH HHT HTH HTT
THH THT TTH TTT
 - b.) $1/8$
 - c.) $3/8$
 - d.) $3/8$
 - e.) $1/8$
 - f.) $4/8$
 - g.) $4/8$
 - h.) Equivalent
- 4.)
 - a.) 1,2,3,4,5,6
 - b.) $1/6$
 - c.) $3/6$
 - d.) $3/6$
 - e.) Equivalent
 - f.) $4/6$
 - g.) $2/6$
 - h.) Answer g is $1/2$ answer h
 - i.) They sum to 1
- 5.)
 - a.) No
 - b.) $4/6$ and $2/6$ for red and blue respectively
- 6.)
Answers may vary
- 7.)
 - 1,1 1,2 1,3 1,4 1,5 1,6
 - 2,1 2,2 2,3 2,4 2,5 2,6
 - 3,1 3,2 3,3 3,4 3,5 3,6

.....6,6

- b.) $1/36$
- c.) $1/36$
- d.) $6/36$
- e.) $(5+4+3+2+1)/36$ or $15/36$
- f.) $3/6$
- g.) $1/2 * 1/2$ or $1/4$
- 8.) Yes, you are twice as likely to win the car if you switch.

Explanation: The likelihood of the car being behind any specific door is $1/3$ at the start. Let us group the doors now into two distinct groups—the door we chose and the doors we did not choose. There is a $1/3$ chance it is behind our door; there is a $2/3$ chance it is behind the other door (*This never changes). When the host opens one of the other doors we still know that the sum of the probability of the two doors is $2/3$, but we also know that the probability of one of the doors is exactly $0/3$ now. Therefore the probability of the door we did not choose is $2/3$ and is the best choice.